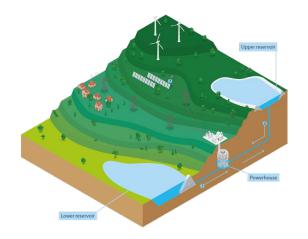
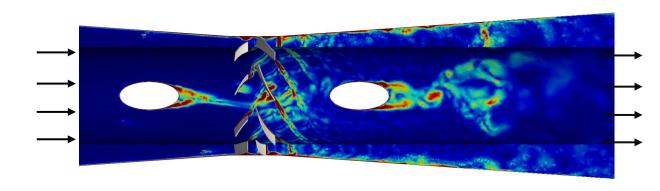
### Welcome!

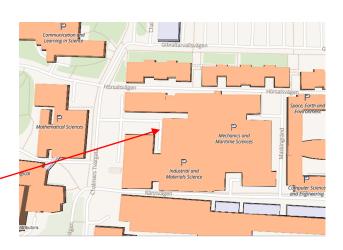
#### Jonathan Fahlbeck

- Fahlbeck@chalmers.se
- PhD student at fluid mechanics since 2020, office at the 2nd floor
- Previously worked as an engineer consultant with fluid calculations (CFD) at Semcon
- My research concerns hydropower with a new type of pump-storage machine
  - ➤ Contra-rotating pump-turbine
  - > ALPHEUS EU project









## Practical suggestion in this course:

- Solutions to all home-tasks and exercises are available on canvas
  - Look there if you get stuck or wonder if your solution is correct.
- Study guide on canvas (theory questions)
  - Try to answer all the study guide questions (it well help you understand the content)
- The course contain 10 different areas. Try to keep track on which we are currently working with.
- Ask questions!
  - If you wonder about anything, than you neighbour is probably also doing it.
- Feedback, suggestions and remarks are always welcome!

# Repeat some math!

- I use the following natation:
  - Scalar = a
  - Vector =  $\tilde{a} = \begin{bmatrix} a_x & a_y & a_z \end{bmatrix}$
- Scalar product =  $\tilde{a} \circ \tilde{b}$
- Cross product =  $\tilde{a} \times \tilde{b}$
- Nabla =  $\widetilde{\nabla} = \begin{bmatrix} \frac{\partial}{\partial x} & \frac{\partial}{\partial y} & \frac{\partial}{\partial z} \end{bmatrix}^T$
- Divergence:  $\operatorname{div} \tilde{f} = \widetilde{\nabla} \circ \tilde{f} = \frac{\partial f_x}{\partial x} + \frac{\partial f_y}{\partial y} + \frac{\partial f_z}{\partial z}$
- Gradient:  $\widetilde{\nabla} \widetilde{f} = \begin{bmatrix} \frac{\partial f_x}{\partial x} & \frac{\partial f_y}{\partial y} & \frac{\partial f_z}{\partial z} \end{bmatrix}^T$
- Velocity:  $\tilde{v} = \begin{bmatrix} u & v & w \end{bmatrix}$  in the directions  $\begin{bmatrix} x & y & z \end{bmatrix}$

### Exercise 1.

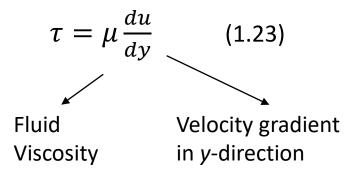
- Fluid = liquid or gas (what we are working with in this course)
- Viscosity:
  - Material parameter for the fluid
  - Think about it as the fluids resistance towards shear
    - > Compare with the friction coefficient between two solids
  - The higher the viscosity the greater the resistance
    - > Syrup has high viscosity and water low
  - Dynamic viscosity:  $\mu$  [kg/(m s)]

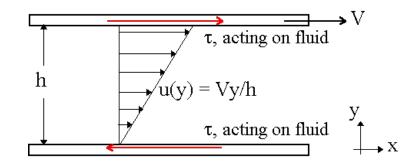
Kinematic viscosity: 
$$v = \frac{\mu}{\rho}$$
 [m<sup>2</sup>/s]

• Re-number: Re = 
$$\frac{\rho UL}{\mu} = \frac{UL}{\nu} = \frac{\text{Inertia}}{\text{Viscous}}$$
 (1.24)

### Exercise 1.

• Shear stress  $\tau$  in a fluid (motion in x only)





Total shear force on a surface:

$$-F = \int \tau \, dA = \tau \, A$$
 (force = pressure x area)

Energy required to move the plate:

$$-E = \int F \, dL = F \, L$$
 (energy = force x distance)

Power required to move the plate with the velocity V:

$$-P = \frac{\mathrm{d}E}{\mathrm{d}t} = F\frac{L}{t} = FV$$
 (power = energy / time)